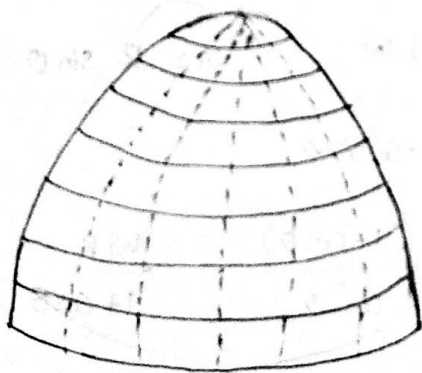


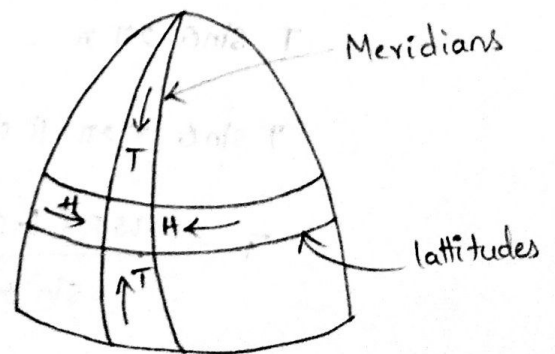
DESIGN OF WATERTANKS - II

Spherical Domes:-

- \* A spherical dome may be imagined to be made up of a number of horizontal rings placed one over the other. The diameter of successive rings increases in the downward directions.
- \* The equilibrium is maintained independently of the rings above it.
- \* The circle of each ring is called as latitude.
- \* The circle drawn through two diametrically opposite points on a horizontal diameter and the crown is known as "meridian circle".
- \* All the meridian circles ~~converge~~ <sup>Converges</sup> at the crown of the spherical dome.



(a)



(b)

- \* If a load is applied on the dome, it gets resisted by the horizontal rings.
- \* Every horizontal ring supports the load of the rings above it and

transmits the same along with its own weight to the next ring below it.

\* Thus there will be a thrust of one ring on the other.

\* There are two types of stresses induced in the spherical domes.

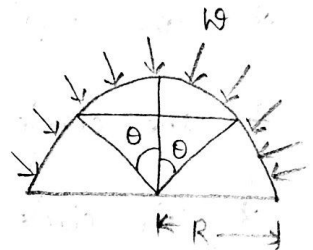
(i) Meridional thrust (T) - Along the direction of meridians.

(ii) Hoop thrust (H) - Along the latitudes.

Case (i) :- when a dome is subjected to U.D.L :-

$$\text{Meridional thrust (T)} = \frac{wR}{1 + \cos\theta}$$

$$T = \frac{wR(1 - \cos\theta)}{\sin^2\theta}$$



$$\text{hoop stress (H)} = \frac{wR(\cos^2\theta + \cos^2\theta - 1)}{t(1 + \cos\theta)}$$

$$\text{hoop thrust (H)} = T \cos\theta R \sin\theta = \frac{wR^2 \sin\theta \cos\theta}{1 + \cos\theta}$$

$$\left[ \begin{aligned} T \sin\theta \cdot 2\pi r &= 2\pi R^2 (1 - \cos\theta) w, \quad r = R \sin\theta \\ T \sin\theta \times 2\pi R \sin\theta &= 2\pi R^2 (1 - \cos\theta) w \\ T &= \frac{wR(1 - \cos\theta)}{\sin^2\theta} = \frac{wR(1 - \cos\theta)}{1 - \cos^2\theta} = \frac{wR}{1 + \cos\theta} \\ \text{hoop stress} = f &= \frac{1}{Rt} \frac{dH}{d\theta} \end{aligned} \right]$$

\* If the value of 'H' is positive, the hoop stress is compressive,

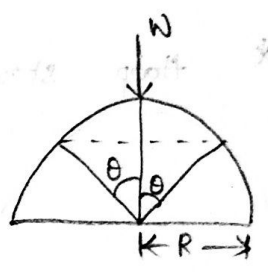
\* If the value of 'H' is negative, the hoop stress is tensile.

From Figure, we can observe that  $\theta = 0$  at the crown

$$T_{\text{crown}} = \frac{wR}{2}, \quad H_{\text{crown}} = \frac{wR^2}{2}, \quad f = \frac{wR}{2t}$$

- \* This is the maximum value of hoop stress.
- \* The hoop stress goes on decreasing, as  $\theta$  value increases and solving the equation, we get hoop stress will be zero at  $\theta = 51.8^\circ$

Case (ii):- when the dome is subjected to concentrated load at crown:-



- \* load transferred per unit area =  $\frac{W}{2\pi R \sin \theta}$

- \*  $T \sin \theta = \frac{W}{2\pi R \sin \theta}$

- \* ~~Horizontal~~ Meridional thrust (T) =  $\frac{W}{2\pi R \sin^2 \theta}$

- \* Hoop thrust (H) =  $T \cos \theta R \sin \theta = \frac{W}{2\pi} \cot \theta$

- \* Hoop stress =  $\frac{1}{Rt} \frac{dH}{d\theta} = \frac{-W}{2\pi R t \sin^2 \theta}$

\* Any concentrated load at the crown should be distributed over a sufficient area

\* It is also desirable to thicken the dome to spread the load over the greater area.

Case (iii):- when the dome is subjected to U.D.L and point load  
at the crown:-

\* Concentrated load =  $w$

\* Distributed load =  $w$  per unit area

\* Meridional thrust ( $T$ ) =  $\frac{wR}{1 + \cos\theta} + \frac{w}{2\pi R \sin^2\theta}$

\* Hoop thrust ( $H$ ) =  $\frac{wR^2 \sin\theta \cos\theta}{1 + \cos\theta} + \frac{w}{2\pi} \cot\theta$

\* Hoop stress,  $f = \frac{wR(\cos^2\theta + \cos\theta - 1)}{t(1 + \cos\theta)} + \frac{w}{2\pi R t \sin^2\theta}$

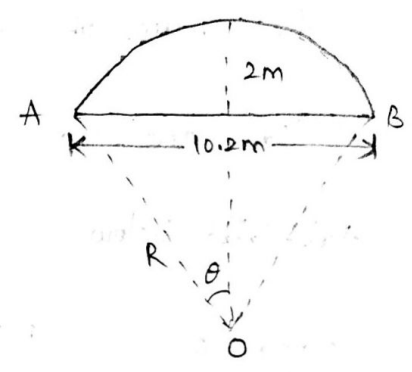
D) Design a spherical dome over a circular room 10m in diameter with 200 mm thick side walls. Live load due to wind and snow may be  $2.6 \text{ KN/m}^2$  of the surface area. Assume the rise of dome as 2m. Use  $M_{15}$  grade concrete and mild steel reinforcement.

Sol.:- Step 1:- Geometry of the beam:-

Let 'R' be the radius of the dome

Diameter of base AB = 10.2 m

From the geometry of spherical surface and from the property of chords



$$(2R - \text{Rise}) \times \text{Rise} = \left(\frac{\text{Span}}{2}\right)^2$$

$$(2R - 2) \times 2 = \left(\frac{10.2}{2}\right)^2$$

$$\therefore R = 7.5 \text{ m}$$

$$\cos \theta = \frac{R-h}{R} = \frac{7.5-2}{7.5}$$

$$\Rightarrow \theta = 42.83^\circ < 51.8^\circ$$

$\therefore$  Hoop stress will be Compressive throughout.

Step - II:- loading:-

Assuming the thickness of the spherical dome as  $t = 100 \text{ mm}$

The U-DL per sq.m of surface area =  $0.1 \times 25 = 2.5 \text{ KN/m}^2$

$$\text{Total load} = 2.6 + 2.5 = 5.1 \text{ KN/m}^2$$

(live load =  $2.6 \text{ KN/m}^2$ )

Step-3:- calculation of stresses:-

$$\text{Meridional thrust per metre length } T = \frac{WR}{1 + \cos\theta}$$

$$= \frac{5100 \times 7.5}{1 + \cos\theta} = \frac{38250}{1 + \cos\theta} \rightarrow \textcircled{1}$$

$$\text{Hoop stress, } f = \frac{WR (\cos^2\theta + \cos\theta - 1)}{(1 + \cos\theta) t}$$

$$= \frac{5100 \times 7.5 (\cos^2\theta + \cos\theta - 1)}{(1 + \cos\theta) \times 0.1}$$

$$= \frac{382500 (\cos^2\theta + \cos\theta - 1)}{1 + \cos\theta} \rightarrow \textcircled{2}$$

The values of meridional thrust and hoop stress at four different sections and for different values of ' $\theta$ ' are calculated and tabulated below.

<u>Angle '<math>\theta</math>'</u>	<u>Meridional stress</u> $= T/t \text{ (N/mm}^2\text{)}$	<u>Hoop stress</u> $\text{(N/mm}^2\text{)}$	$M.S = \frac{38250}{t(1 + \cos\theta)}$
$\theta = 0$	191250	191250	
$\theta = 15^\circ$	194564.81	174901.81	
$\theta = 30^\circ$	204981.13	126273.58	
$\theta = 42.83$	220667.89	60029.06	

Maximum value of ' $T$ ' ~~occurs~~ occurs when  $\theta = 42.83^\circ$  and its magnitude,  $T_{\max} = 220667.89 \text{ N/m}^2 = 0.22 \text{ N/mm}^2$

Maximum hoop stress occurs at the crown i.e at  $\theta = 0$  and its magnitude is given by  $f_{max} = 191250 \text{ N/m}^2 = 0.191 \text{ N/mm}^2$

For M15 grade concrete,  ~~$f_{ck}$~~   $\sigma_{cbc} = 5 \text{ N/mm}^2$

$\therefore T_{max}$  and  $f_{max}$  is less than  $5 \text{ N/mm}^2$

Hence it is safe.

Provide a minimum steel of 0.15% of gross c/s area, because no tension at any where in the cross section.

$$= \frac{0.15}{100} \times 1000 \times 100 = 150 \text{ mm}^2$$

Assuming 8 mm dia bars, spacing  $S = \frac{\pi/4 \times 8^2}{150} \times 1000 = 335 \text{ mm}$

$\therefore$  provide 8mm dia bars @ 300 mm c/c.

Provision for reinforcement :-

Maximum compressive stress =  $0.22 \text{ N/mm}^2$

Maximum hoop stress =  $0.19 \text{ N/mm}^2$

If hoop stress is tensile, maximum hoop tension per metre length of meridian, hoop stress  $\times b \times t = 0.19 \times 1000 \times 100 = 19000 \text{ N}$

$$A_{st} = \frac{2}{\sigma_{st}} = \frac{19000}{115} = 165.21 \text{ mm}^2$$

Reinforcement for temperature =  $\frac{0.15}{100} \times 1000 \times 100 = 150 \text{ mm}^2$  ( $\because$  0.15% gross c/s area)

$$\text{Total } A_{st} = 165.21 + 150 = 315.21 \text{ mm}^2$$

using 8mm diameter, spacing =  $\frac{\pi/4 \times 8^2}{315.21} \times 1000 = 159.48 \text{ mm}$

provide 8mm dia bars at a spacing of 150 mm c/c.

Step-4:- Design of lower ring beam:-

The horizontal component of meridional thrust 'T' will cause an outward force on the support causing hoop tension.

Horizontal Component of 'T' per metre length,  $w = T \cos \theta \times t$

$$w = 220667.89 \cos 42.83 \times 0.1 = 16187.7 \text{ N/m}$$

$$\text{Total hoop tension} = w \times D/2 = 16187.7 \times \frac{10.2}{2} = 82.55 \text{ kN}$$

$$\text{Area of steel} = \frac{82.55 \times 10^3}{140} = 589.64 \text{ mm}^2$$

(Assuming 16 mm dia bars, spacing =  $\frac{\pi/4 \times 16^2}{589.64} \times 1000 = 341 \text{ mm}$ )

$$\text{No. of bars} = \frac{589.64}{\pi/4 \times 16^2} = 2.93 \text{ say } 4$$

Provide 4 bars of 16 mm dia for symmetry.

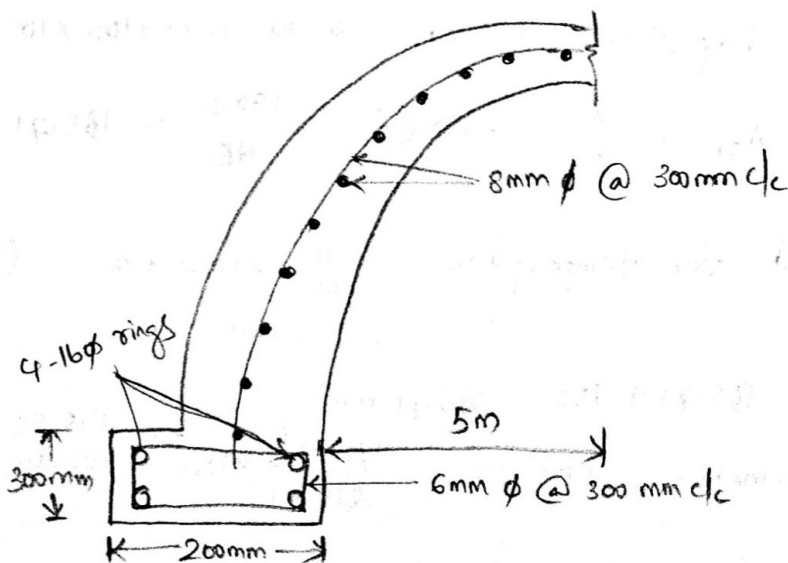
$$\sigma_{cb} = \frac{T}{A_g + (m-1) A_{st}} \Rightarrow 1.2 = \frac{82.55 \times 10^3}{A_g + (18.67-1) \times \pi/4 \times 16^2 \times 4}$$

$$\Rightarrow A_g = 54596.98 \text{ mm}^2$$

$$(m = \frac{280}{3\sigma_{cbc}} = \frac{280}{3 \times 5} = 18.67)$$

Provide a ring beam of size 200 x 300 mm

Provide 6 mm dia stirrups @ 300 mm c/c to tie the rings to the ring beam



Reinforcement Details



1) Design a conical roof for a hall having a diameter of 20m. The rise of the dome has to be 4m. Assume the live load and other loads as  $1500 \text{ N/m}^2$ . Use  $M_{15}$  and mild steel bars.

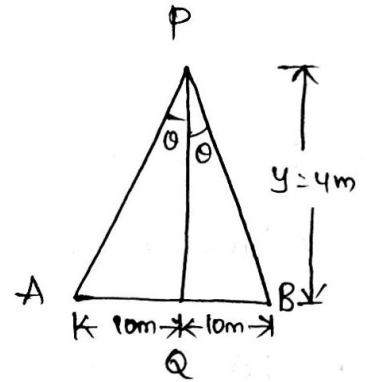
Sol:- Step-1:- Geometry:-

$$\tan \theta = \frac{10}{4} \Rightarrow \theta = 68.19^\circ$$

Diameter AB = 20m

Height of the dome,  $y = 4\text{m}$ .

$$\sin \theta = 0.9285 \text{ and } \cos \theta = 0.3715$$



Step-2:- loading:-

Let the thickness of shell be  $100\text{mm} = t$

$$\text{Self weight of dome} = 0.1 \times 25 = 2.5 \text{ kN/m}^2 = 2500 \text{ N/m}^2$$

$$\text{live load} = 1500 \text{ N/m}^2$$

$$\text{Total load} = 4000 \text{ N/m}^2$$

Step-3:- Calculation of stresses:-

$$\begin{aligned} \text{Meridional thrust, } T_{\max} &= \frac{wy}{2} \times \frac{y}{\cos^2 \theta} \\ &= \frac{4000}{2} \times \frac{4}{0.3715^2} = 57965.86 \text{ N} \end{aligned}$$

$$= 58 \text{ kN}$$

$$\text{Meridional stress} = \frac{T_{\max}}{bt} = \frac{58 \times 10^3}{1000 \times 100} = 0.58 \text{ N/mm}^2 < 5 \text{ N/mm}^2$$

$$\text{Hoop thrust, } H_{\max} = wy \tan^2 \theta = 4000 \times 4 \times \tan^2 68.2^\circ$$

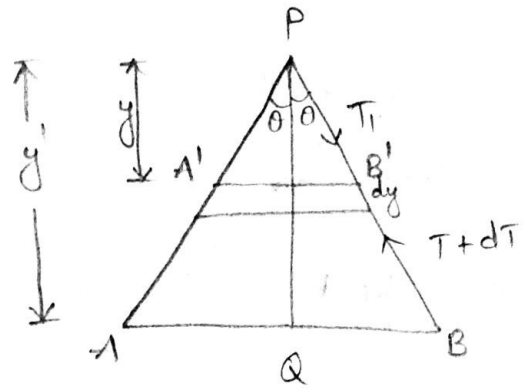
$$= 100 \text{ kN}$$

$$\text{Hoop stress} = \frac{H_{\max}}{bt} = \frac{100 \times 10^3}{1000 \times 100} = 1 \text{ N/mm}^2 < 5 \text{ N/mm}^2$$

Hence Safe.

## Conical dome :-

\* The conical dome is formed by rotating the right angle triangle about vertical axis.



\* Let 'w' be the intensity of UDL

inclusive of its own weight on a unit area of dome.

\* Let 'y' be the distance of horizontal plane from apex 'P'

$$\text{Diameter } A'B' = 2y \tan \theta$$

$$\text{length } A'P = \frac{y}{\cos \theta}$$

$$\text{Meridional thrust, } T = \frac{w}{2} \times \frac{y}{\cos^2 \theta} \rightarrow (1)$$

$$\text{Intensity of meridional stress } \sigma = \frac{w}{2tb} \times \frac{y}{\cos^2 \theta} \rightarrow (2)$$

$$\text{Hoop thrust, } H = wy \tan^2 \theta \rightarrow (3)$$

$$\text{Intensity of hoop stress} = \frac{wy}{tb} \tan^2 \theta \rightarrow (4)$$

The hoop stress will be compressive through out.

Concentrated load at Apex (or) Vertex :-

$$\text{Meridional thrust on the ring, } T = \frac{W}{2\pi y \sin \theta}$$

$$\text{Hoop force } H = 0$$

Steel reinforcement :-

The stresses worked out to be safe, Hence only nominal reinforcement has to be provided at 0.15% of area of concrete.

$$A_{st} = \frac{0.15}{100} \times 1000 \times 100 = 150 \text{ mm}^2$$

Using 8 mm dia bars, Spacing =  $\frac{\pi/4 \times 8^2}{150} \times 1000 = 335 \text{ mm}$

Provide 8 mm dia bars @ 300 mm c/c both the ways.

The meridional bars may be discontinued near the apex and a wire mesh may be provided to avoid conjunction of steel.

Design of ring beam :-

The horizontal component of meridional thrust 'T' will cause an outward force on the support causing hoop tension. Hence a ring beam is necessary.

hoop tension in the ring beam,  $P = T \sin \theta$

$$P = 58 \times 10^3 \times 0.9285 = 53853 \text{ N/m}$$

hoop tension tared to rupture the beam =  $P \times D/2$   
 $= 53853 \times 20/2 = 538530 \text{ N}$

Area of steel required,  $A_{st} = \frac{538530}{\frac{\pi}{4} \times 30^2} = \frac{4682.87}{115} = 3846.6 \text{ mm}^2$

Using 30 mm dia bars, No. of bars =  $\frac{3846.6}{6.62} = 7.83 \approx 8 \text{ no's.}$

$A_{st}$  provided =  $8 \times \frac{\pi}{4} \times 30^2 = 5654.87 \text{ mm}^2$

Tie these bars by 8 mm dia two legged stirrups @ 300 mm c/c.

Let  $A_g$  be the gross area of ring beam.

Equivalent area of cross section,  $A_e = A_g + (m-1) A_{st}$

$$m = \frac{280}{3 \sigma_{cbc}} = \frac{280}{3 \times 5} = 18.67$$

$$A_e = A_g + (18-1) \times 3927$$

$$= A_g + 69390.09$$

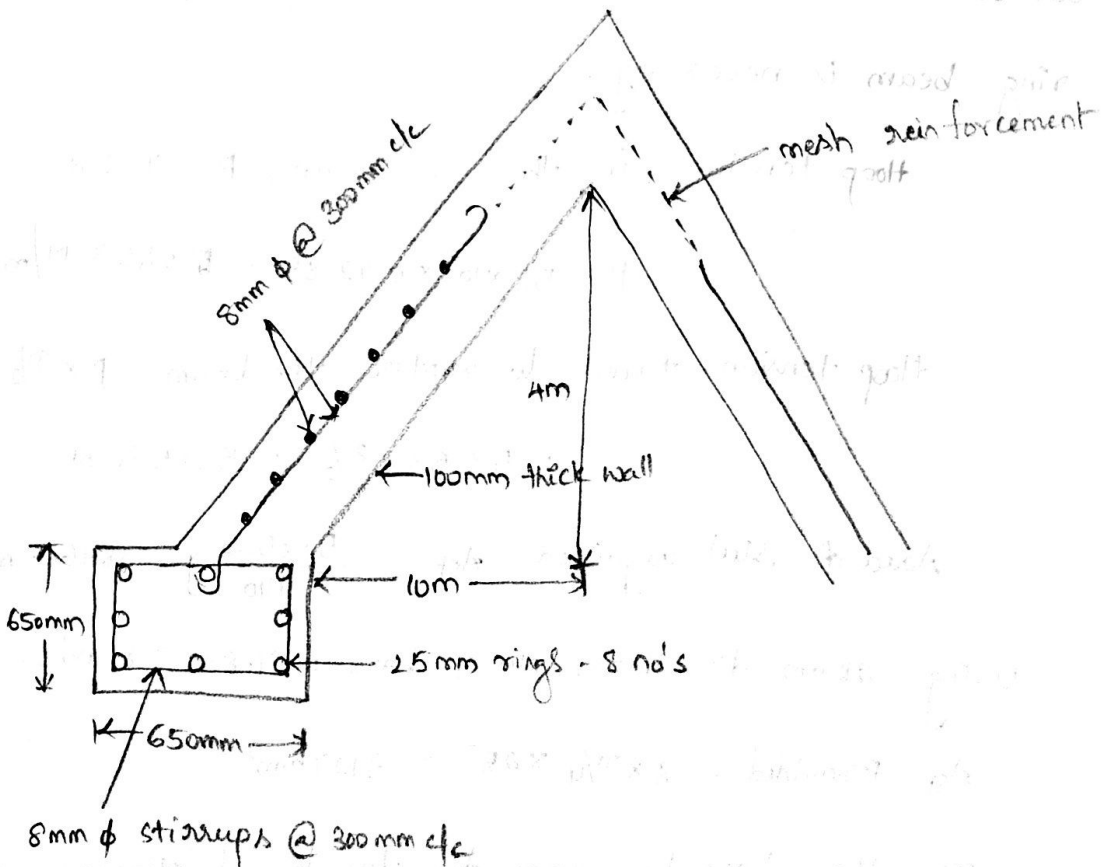
Assuming the allowable tensile stress in composite section be

$1.2 \text{ N/mm}^2$ .

$$\sigma_{cb} = \frac{T}{A_g + (m-1) A_{st}} \Rightarrow \frac{538530}{A_g + 69390.09} = 1.2$$

$$\Rightarrow A_g = 348853.5 \text{ mm}^2$$

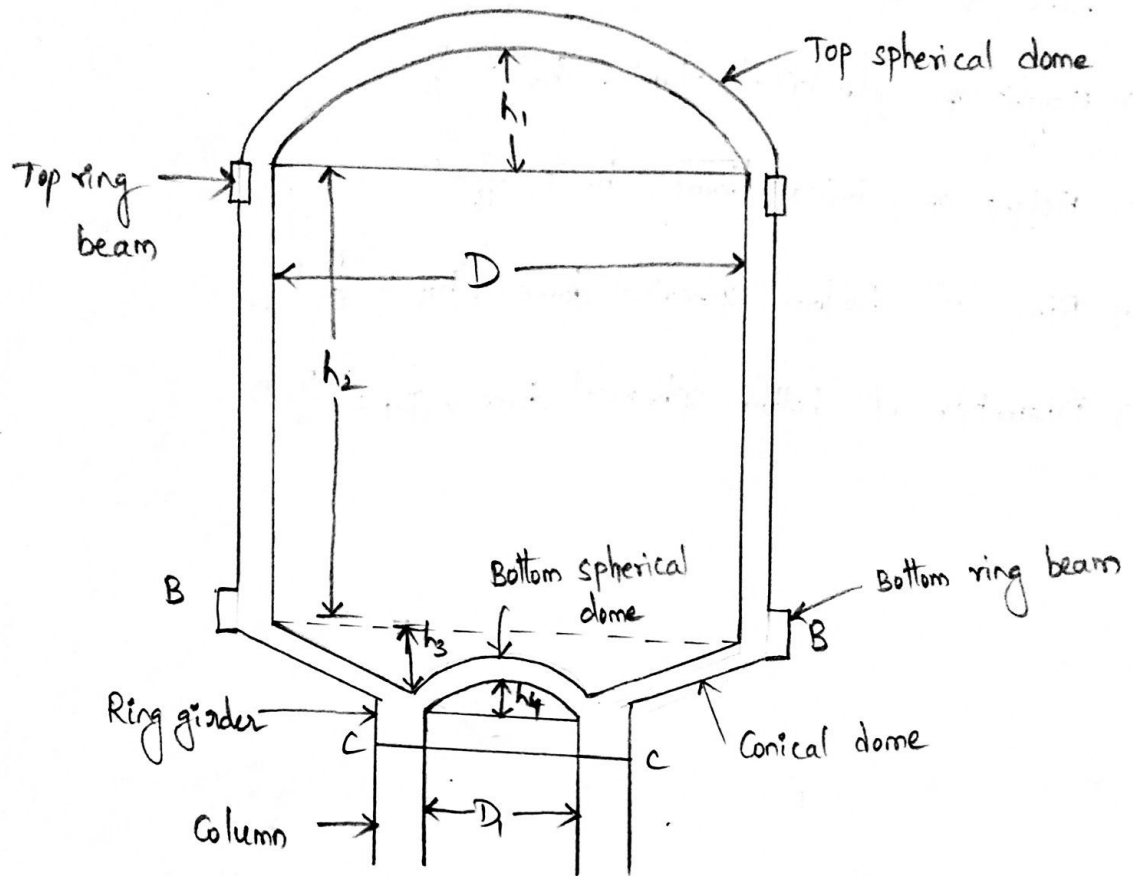
Provide a ring beam of size  $650 \times 650 \text{ mm}$ .



Reinforcement Details

## Intze tank :-

52



### Typical Intze Tank

\* For larger capacities of overhead tanks, flat bottom circular tanks become uneconomical since the thickness of slab required increase considerably.

\* In such cases, intze tanks are more economical.

\* Intze tank consists of the following structural elements

- |                        |                            |
|------------------------|----------------------------|
| (i) Top spherical dome | (v) Conical shell          |
| (ii) Top ring beam     | (vi) Bottom spherical dome |
| (iii) cylindrical wall | (vii) Bottom ring girder   |
| (iv) Bottom ring beam  | (viii) Columns             |
|                        | (ix) Foundations           |

## Economical Proportions of structural elements:-

- (i) Rise of top spherical dome  $h_1 = \frac{1}{8} D$
- (ii) Height of cylindrical tank,  $h_2 = \frac{2}{8} D$
- (iii) Height of Conical dome,  $h_3 = \frac{3}{16} D$
- (iv) Rise of bottom spherical dome,  $h_4 = \frac{1}{8} D$
- (v) Diameter of bottom spherical dome,  $D_1 = \frac{5}{8} D$

1) Design an intake tank of 900,000 litres capacity. The height of staging is 16 m upto the bottom of tank. The bearing capacity of soil may be assumed to be 150 kN/m<sup>2</sup>. Assume the intensity of wind pressure as 1500 N/m<sup>2</sup>. Use M20 Concrete and HYSD bars.

Sol: Step - 1: - Dimensions of the tank: -

Let the diameter of circular portion,  $D = 14\text{ m}$

Diameter of bottom spherical dome,  $D_1 = \frac{5}{8} D = 8.75 \approx 10\text{ m}$ .

Height of Conical dome,  $h_3 = \frac{3}{16} D = 2.625 \approx 2\text{ m}$

Rise  $h_1 = h_4 = \frac{1}{8} D = 1.8\text{ m}$ , For practical appearance  $h_4 = 1.6\text{ m}$

The radius  $R_2$  of the bottom dome is given by

$$1.8 (2R_2 - 1.6) = 5^2 \Rightarrow R_2 = 8.64\text{ m}$$

$$\sin \phi_2 = \frac{5}{8.64} = 0.5807 \Rightarrow \phi_2 = ~~44.02~~ 35.50^\circ$$

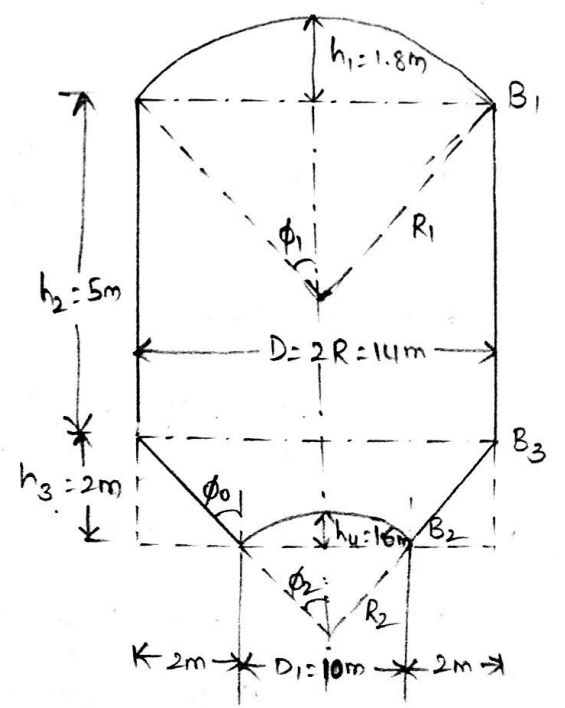
$$\cos \phi_2 = ~~0.7702~~ 0.8141, \quad \tan \phi_2 = ~~0.8279~~ 0.7133, \quad \cot \phi_2 = ~~1.2078~~ 1.4019$$

Let  $h_2$  be the height of cylindrical portion.

Capacity of tank is given by

$$V = \frac{\pi}{4} D^2 h_2 + \frac{\pi h_3}{12} (D^2 + D_1^2 + DD_1) - \frac{\pi h_4}{3} (3R_2 - h_4)$$

Required volume = 900,000 litres = 900 m<sup>3</sup>



$$\therefore 900 = \frac{\pi}{4} (14^2) h_2 + \frac{\pi \times 2}{12} (14^2 + 10^2 + 14 \times 10) - \frac{\pi \times 1.6^2}{3} (3 \times 8.61 - 1.6)$$

$$\Rightarrow h_2 = 4.78 \text{ m. Allowing for free board, } h_2 \approx 5 \text{ m}$$

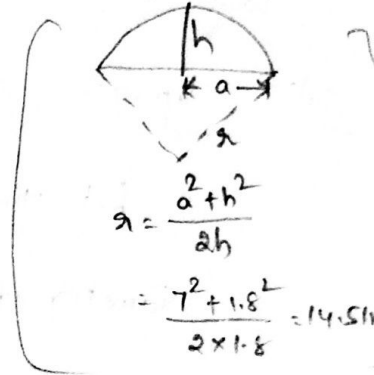
For the top dome, the radius  $R_1$  is given by

$$1.8 (2R_1 - 1.8) = 7^2$$

$$\Rightarrow R_1 = 14.51 \text{ m}$$

$$\sin \phi_1 = \frac{7}{14.51} = 0.4824 \Rightarrow \phi_1 = 28.84^\circ$$

$$\cos \phi_1 = 0.8760$$



Step-2:- Design of top dome:-

$$R_1 = 14.51 \text{ m, } \cos \phi_1 = 0.8760 \text{ and } \sin \phi_1 = 0.4824$$

$$\text{Let thickness } t_1 = 100 \text{ mm} = 0.1 \text{ m}$$

Taking live load of  $1500 \text{ N/m}^2$ , Total load 'p' per sq. m of dome

$$= 0.1 \times 25 \times 1000 + 1500 = 4000 \text{ N/m}^2$$

$$\text{Meridional thrust at edges} = T_1 = \frac{p R_1}{1 + \cos \phi_1} = \frac{4000 \times 14.51}{1 + 0.8760} = 30938 \text{ N/m}$$

$$\text{Meridional stress} = \frac{T_1}{t} = \frac{30938}{100 \times 1000} = 0.31 \text{ N/mm}^2$$

Maximum hoop stress occurs at the centre and its magnitude

$$is = \frac{p R_1}{t_1} \times \frac{1}{2} = \frac{4000 \times 14.51}{2 \times 0.1} = 290200 \text{ N/m}^2 = 0.29 \text{ N/mm}^2$$

Permissible stress in direct Compression ( $\sigma_{cc}$ ) in M20 grade Concrete =  $5 \text{ N/mm}^2$

$$\text{Meridional and hoop stresses} < 5 \text{ N/mm}^2$$

Hence safe.



Since the stresses are within the safe limits, provide nominal reinforcement @ 0.3% of gross c/s area

$$A_{st} = \frac{0.3}{100} \times 1000 \times 100 = 300 \text{ mm}^2$$

using 8mm dia bars, spacing =  $\frac{\pi/4 \times 8^2}{300} \times 1000 \approx 160 \text{ mm}$

Hence provide 8mm dia bars @ 160mm c/c in both the directions.

Step-3:- Design of top ring beam B<sub>1</sub> :-

Horizontal Component of T<sub>1</sub> is given by

$$P_1 = T_1 \cos \phi = 30938 \times 0.8760 = 27102 \text{ N/m}$$

$$\begin{aligned} \text{Total tension tending to rupture the beam} &= P_1 \times D/2 \\ &= 27102 \times 14/2 = 189712 \text{ N} \end{aligned}$$

Permissible stress in HYSD bars = 150 N/mm<sup>2</sup>

$$A_{sh} = \frac{189712}{150} = 1265 \text{ mm}^2$$

using 20mm  $\phi$  bars, no. of bars =  $\frac{1265}{\pi/4 \times 20^2} \approx 5$  bars.

$$\text{Actual } A_{sh} \text{ provided} = 5 \times \pi/4 \times 20^2 = \cancel{1257} 1571 \text{ mm}^2$$

The area of cross section of ring beam is given by

$$\text{equivalent area of concrete} \frac{A_g + (m-1) A_{st}}{A_g + \left(\frac{280}{3 \times 7}\right) \times 1571} = \frac{189712}{150} = 1.2 \quad \left( \sigma_{cbc} = 7 \text{ N/mm}^2 \text{ for } M_{20} \text{ concrete} \right)$$

(Allowing tensile stress of 1.2 N/mm<sup>2</sup> in equivalent concrete area)

$$\Rightarrow A_g = 138722.9 \text{ mm}^2$$

provide a ring beam of 360mm depth and 400mm width. Tie the 20mm dia bars by 6mm  $\phi$  nominal stirrups @ 200mm c/c.

## Step-4:- Design of cylindrical shell:-

In membrane analysis, the tank wall is assumed to be free at top and bottom. Maximum hoop tension occurs at the base of the wall and its magnitude is given by

$$P = wh \frac{D}{2} = 9800 \times 5 \times \frac{14}{2} = 343000 \text{ N/m height}$$

$$\text{Area of steel, } A_{sh} = \frac{P}{\sigma_{st}} = \frac{343000}{150} = 2286 \text{ mm}^2 \text{ per metre height}$$

Providing rings on both faces,  $A_{sh}$  on each face = 1143 mm<sup>2</sup>

$$\text{Using 12mm dia rings, spacing} = \frac{\pi/4 \times 12^2}{1143} \times 1000 = 98.9 \text{ mm.}$$

∴ provide 12mm dia rings @ 95 mm c/c at bottom.

$$\text{Actual } A_{sh} \text{ provided} = \frac{\pi/4 \times 12^2}{95} \times 1000 = 1190 \text{ mm}^2 \text{ on each face.}$$

permitted 1.2 N/mm<sup>2</sup> stress on composite section

$$\frac{343000}{100t + 12.33 \times 1190 \times 2} = 1.2 \quad \left( \begin{array}{l} A = 1000 \times t \\ = b \times t \end{array} \right)$$

$$\Rightarrow t = 257.3 \text{ mm}$$

∴ provide  $t = 300 \text{ mm}$  at bottom and taper it to  $200 \text{ mm}$  at top

$$\text{Average } t = \frac{300 + 200}{2} = 250 \text{ mm} \quad \text{Average } t = \frac{300 + 200}{2} = 250 \text{ mm}$$

$$\% \text{ distribution of steel} = 0.3 \left( \frac{250 \times 100}{480 - 100} \right) \times 0.1 = 0.24$$

$$\text{Distribution steel} = \frac{0.3}{100} \times 1000 \times 250 = 750 \text{ mm}^2$$

$$\text{Area of steel on each face} = \frac{750}{2} = 375 \text{ mm}^2$$

$$\text{Using 8mm dia bars, spacing} = \frac{\pi/4 \times 8^2}{375} \times 1000 = 134.05 \text{ mm}$$

Hence provide 8mm dia bars @ 130mm c/c on both faces.

Keep a clear cover of 25mm. Extend the vertical bars to outer face into the dome to take care of continuity effects.

Step 5:- Design of Ring beam B<sub>3</sub>:-

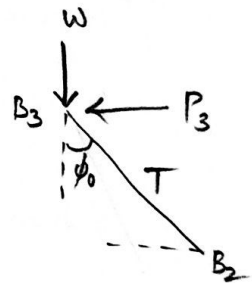
This ring beam connects the tank wall with conical dome.

The vertical load at the junction of wall with conical dome is transferred to ring beam B<sub>3</sub> by meridional thrust in the conical dome.

The horizontal component of thrust causes hoop tension at the junction.

The ring beam is provided to take up the hoop tension. The load  $w$

transmitted through tank wall, at the top of conical dome consists of the following.



$$(i) \text{ Load } w \text{ of top dome} = T_1 \sin \phi_1 = 30938 \times 0.4824 = 14924 \text{ N/m}$$

$$(ii) \text{ Load due to the ring beam B}_1 = 0.36 \times 0.4 \times 1 \times 25000 = 3600 \text{ N/m}$$

$$(iii) \text{ Load due to tank walls} = 5 \times \frac{0.2 + 0.3}{2} \times 1 \times 25000 = 31250 \text{ N/m}$$

$$(iv) \text{ Self weight of beam B}_3 \text{ (1m} \times \text{0.6m say)} = 1 \times 0.6 \times 25000 = 15000 \text{ N/m}$$

$$\text{Total } w = 64774 \text{ N/m}$$

Inclination of conical dome with vertical  $\phi_0 = 45^\circ$

$$\sin \phi_0 = \cos \phi_0 = 0.7071 = \frac{1}{\sqrt{2}}, \quad \tan \phi_0 = 1$$

$$P_w = w \tan \phi_0 = 64774 \times 1 = 64774 \text{ N/m}$$

Horizontal force  $P_w$  caused due to water pressure at top of conical dome is given by

$$P_w = w \cdot h \cdot d_3 = 9800 \times 5 \times 0.6 = 29400 \text{ N/m}$$

Hence hoop tension in the ring beam is given by

$$P_3 = (P_w + P_w) D/2 = (64774 + 29400) \times \frac{14}{2} = 659218 \text{ N}$$

This is to be resisted entirely by steel hoops,

$$A_{sh} = \frac{659218}{150} = 4394.78 \text{ mm}^2$$

Using 30 mm dia bars, No. of bars =  $\frac{4394.78}{\frac{\pi}{4} \times 30^2} = 6.21 \approx 7 \text{ bars.}$

Provide 7 bars of 30 mm diameter.

$$A_{sh} \text{ provided} = 7 \times \frac{\pi}{4} \times 30^2 = 4948.65 \text{ mm}^2$$

$$\text{Stress in equivalent section} = \frac{659218}{(1000 \times 600) + (2.33) \times 4948.65} = 0.99 < 1.2 \text{ N/mm}^2$$

Hence safe.

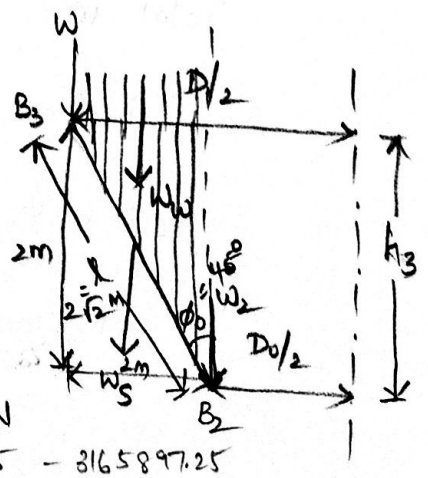
The 8 mm dia distribution bars (vertical bars) provided in the wall @ 150 mm c/c should be taken round the above rings to act as stirrups.

Step-6:- Design of Conical dome:-

(a) Meridional thrust:-

$$W_w = \frac{\pi}{4} (14^2 - 10^2) \times 5 \times 9800 + \frac{\pi \times 2 \times 9800}{12} \times 14^2 + 10^2 + 14 \times 10$$

$$\frac{\pi}{4} \times 10^2 \times 2 \times 9800 = 4392368 \text{ N}$$



Let the thickness of Conical slab be 400mm.

∴ Total self weight  $w_s$  is given by

$$w_s = 25000 \pi \left( \frac{14+10}{2} \right) \times 2\sqrt{2} \times 0.4 = 1066131 \text{ N}$$

weight  $w$  at  $B_3 = 64774 \text{ N/m}$

Hence vertical load  $w_2$  per metre run is given by

$$w_2 = \frac{(\pi \times 14 \times 64774) + \frac{3164326.55}{\sqrt{2}} + 1066131}{\pi \times 10} = \frac{225343.24}{264433.04} \text{ N/m}$$

Meridional thrust  $T_0$  in the conical dome is

$$T_0 = \frac{w_2}{\cos \phi_0} = \frac{225343.24}{\frac{264433}{\sqrt{2}}} = 318683.47 \text{ N/m}$$

∴ Meridional stress =  $\frac{318683.47}{373964.76} = 0.796 < 1.2 \text{ N/mm}^2$   
 $\frac{1000 \times 400}{}$

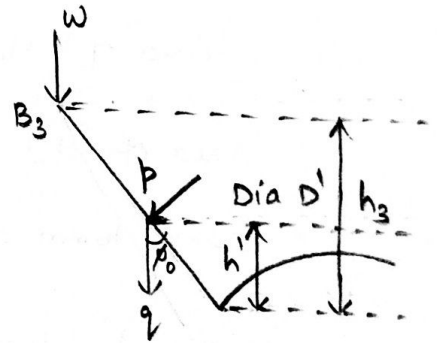
Hence safe.

(b) Hoop tension! -

Diameter of Conical dome at any

height  $h'$  above base is

$$D' = 10 + \left( \frac{14-10}{2} \right) h' = 10 + 2h'$$



Intensity of water pressure,  $p = (5 + 2h') \times 9800 = (7-h') 9800 \text{ N/m}^2$

Self weight  $q = 0.4 \times 1 \times 1 \times 25000 = 10000 \text{ N/m}^2$

Hence hoop tension  $p_0'$  is given by

$$p_0' = \left( \frac{p}{\cos \phi_0} + q \tan \phi_0 \right) \frac{D'}{2} = \frac{(7-h') 9800 \sqrt{2} + (10000 \times 1) \left( \frac{10+2h'}{2} \right)}{2} = [13859(7-h') + 10000] (5+h')$$

$$P_0' = 535075 + 37720 h' - 13859 h'^2$$

The values of  $P_0'$  at  $h'=0$ ,  $h'=1$  and  $h'=2$  are

$h'$	$P_0'$ (Hoop tension) (N)
0	535075
1	558936
2	555079

for Maxima  $\frac{dP_0'}{dh'} = 0 = 37720 - 2 \times 13859 h'$

$$\Rightarrow h' = 1.361 \text{ m}$$

$$\begin{aligned} \text{Maximum } P_0' &= 535075 + 37720 \times 1.361 - 13859 \times 1.361^2 \\ &= 560739 \text{ N} \end{aligned}$$

(c) Design of walls:-

$$\text{Maximum hoop tension} = 560739 \text{ N}$$

$$\text{Area of steel, } A_{sh} = \frac{560739}{150} = 3738 \text{ mm}^2$$

$$\text{Area of steel on each face} = 1869 \text{ mm}^2$$

$$\text{Using 16 mm dia bars, spacing} = \frac{\frac{\pi}{4} \times 16^2}{1869} \times 1000 = 107.5 \text{ mm}$$

$\therefore$  provide 16 mm dia bars @ 100 mm c/c on each face.

$$\text{Actual } A_{sh} = \frac{\frac{\pi}{4} \times 16^2}{100} \times 1000 = 2010 \text{ mm}^2$$

Maximum tensile stress in composite section

$$= \frac{560739}{(400 \times 1000) + (12.33 \times 2010 \times 2)} = 1.39 \text{ N/mm}^2$$

This is more than  $1.2 \text{ N/mm}^2$ . Hence increase the thickness to 420 mm

This will reduce the tensile stress to  $1.194 \text{ N/mm}^2$ .

In the meridional direction, provide reinforcement

$$A_{sh} = \frac{0.3}{100} \times 420 \times 1000 = 1260 \text{ mm}^2$$

i.e.  $630 \text{ mm}^2$  steel on each face.

Using 10 mm dia bars, spacing =  $\frac{\pi/4 \times 10^2}{630} \times 1000 = 124.68 \text{ mm}$

Hence provide 10 mm dia bars @ 120 mm c/c on each face.

Provide a clear cover of 25 mm.

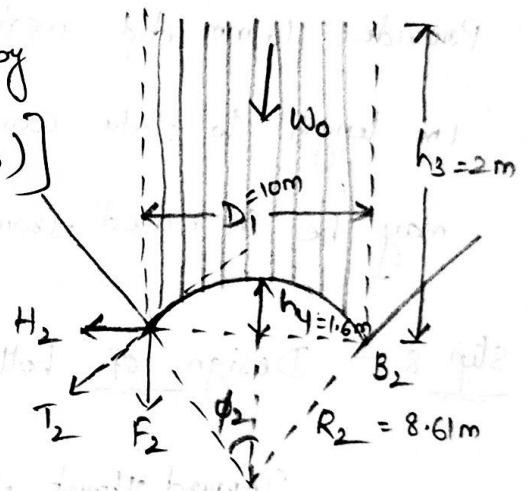
Step - 7:- Design of bottom dome:-

$$R_2 = 8.61 \text{ m}, \quad \sin \phi_2 = 0.5807, \quad \cos \phi_2 = 0.8141$$

Weight of water  $w_0$  on dome is given by

$$w_0 = \left[ \frac{\pi}{4} \times 10^2 \times 7 - \frac{\pi \times 1.6^2}{3} \times (3 \times 8.61 - 1.6) \right] \times 9800$$

$$= 4751259 \text{ N}$$



Let the thickness of bottom dome be

250 mm.

$$\text{Self weight} = 2\pi R_2 h_4 t \times 25000$$

$$= 2\pi \times 8.61 \times 1.6 \times 0.25 \times 25000 = 540982 \text{ N}$$

$$\text{Total weight } w_T = 4751259 + 540982 = 5292241 \text{ N}$$

$$\text{Meridional thrust} = T_2 = \frac{5292241}{\pi \times 10 \times 0.5807} = 290093 \text{ N/m}$$

$$\text{Meridional stress} = \frac{290093}{250 \times 1000} = 1.16 \text{ N/mm}^2 < 1.2 \text{ N/mm}^2$$

Hence safe.

$$\text{Intensity of load per unit area} = P_2 = \frac{5292241}{2\pi \times 8.61 \times 1.6} = 61142 \text{ N/m}^2$$

Maximum hoop stress at Centre of dome

$$= \frac{P_2 R_2}{2t} = \frac{61142 \times 8.61}{2 \times 0.25} = 1052860 \text{ N/m}^2$$

$$= 1.05 \text{ N/mm}^2 < 1.2 \text{ N/mm}^2$$

Hence safe.

$$\text{Area of minimum steel} = \frac{0.3}{100} \times 250 \times 1000 = 750 \text{ mm}^2 \text{ in each direction}$$

$$\text{Using 10mm dia bars, spacing} = \frac{\frac{\pi}{4} \times 10^2}{750} \times 1000 = 104.73 \text{ mm}$$

Hence provide 10mm dia bars @ 100mm c/c in both directions. Also

Provide 16mm dia meridional bars @ 100mm c/c near water face for 1m length to take care of continuity effect. The thickness of the dome may be increased from 250mm to 280mm gradually in 1m length.

Step 8:- Design of bottom ring beam B<sub>2</sub>:-

$$\text{Inward thrust from conical dome} = T_0 \sin \phi_0$$

from step 6(a)

$$= 318683.47$$

$$= 225343.24 \times \frac{1}{\sqrt{2}}$$

$$= 264433.01 \text{ N/m}$$

$$\text{outward thrust from bottom dome} = T_2 \cos \phi_2$$

$$= 290093 \times 0.8141$$

$$= 236165 \text{ N/m}$$

$$\text{Net inward thrust} = 225343.24 - 236165$$

$$= -10821.75 \text{ N/m}$$

$$\text{Hoop compression in beam} = \frac{28268.01 \times 10}{2} = 141340 \text{ N}$$

$$= 54108.78$$



Assuming the size of beam be 600 mm x 1200 mm

$$\text{Hoop stress} = \frac{54108.78}{600 \times 1200} = 0.075 \text{ N/mm}^2 < 1.2 \text{ N/mm}^2$$

Hence safe.

$$\begin{aligned} \text{Vertical load on beam, per metre run} &= T_0 \cos \phi_0 + T_2 \sin \phi_2 \\ &= 318683.47 \times \frac{1}{\sqrt{2}} + 290093 \times 0.5867 \\ &= 393800 \text{ N/m} \end{aligned}$$

Alternatively, Vertical load =  $w_2 + \frac{w_T}{\pi D_1}$  ← From step 7

$$= 225343.24 + \frac{5292241}{\pi \times 10} = 393800 \text{ N/m}$$

$$\text{Self weight} = 0.6 \times 1.2 \times 1 \times 25000 = 18000 \text{ N/m}$$

$$\text{The load on beam } w = 393800 + 18000 = 411800 \text{ N/m}$$

Let us support the beam on 8 equally spaced columns at a mean diameter of 10m. Mean radius of curved beam is  $R = 5\text{m}$

$$2\theta = 45^\circ = \frac{\pi}{4} \Rightarrow \theta = \frac{\pi}{8}$$

For 8 columns,  $C_1 = 0.066$ ,  $C_2 = 0.030$  and  $C_3 = 0.005$ ,  $\phi_m = 90^\circ$

$$WR^2 2\theta = 411800 \times 5^2 \times \frac{\pi}{4} = 8085683.98 \text{ Nm}$$

$$\text{Maximum -ve B.M at Support, } M_0 = C_1 WR^2 2\theta = 533655.14 \text{ Nm}$$

$$\text{Maximum +ve B.M at midspan, } M_c = C_2 WR^2 2\theta = 242570.51 \text{ Nm}$$

$$\text{Maximum Torsional moment, } M_m = C_3 WR^2 2\theta = 40428.42 \text{ Nm}$$

For M20 Concrete,  $\sigma_{cbc} = 7 \text{ N/mm}^2$  and HYSD bars,  $\sigma_{st} = 150 \text{ N/mm}^2$

we have  $k = 0.378$

$$j = 0.874$$

$$Q = 1.156$$

Required effective depth,  $d = \sqrt{\frac{M}{Qb}}$        $M = Qbd^2$

$$= \sqrt{\frac{584311.49 \times 1000}{1.156 \times 600}} = 917.84 \text{ mm}$$

However, keep total depth = 1200 mm from shear point of

view. Let  $d = 1140 \text{ mm}$ .

Max. shear force at supports,  $F_0 = WR\theta = 411800 \times 5 \times \frac{\pi}{8}$

$$F_0 = 808567.41 \text{ N}$$

shear force at any point is given by  $F = WR(\theta - \phi)$

At  $\phi = \phi_m$ ,  $S = 411800 \times 5 (22.5^\circ - 9.5^\circ) \times \frac{\pi}{180} = 467172.28$

Equivalent shear force,  $S_e = S + 1.6 \frac{T}{b}$

$$= 467172.28 + 1.6 \times \frac{40428.42}{0.6}$$

shear force  $\Rightarrow$

$$= 521076.84 \text{ N}$$

Main and longitudinal reinforcement

Equivalent B.M,  $M_{e1} = M + M_t$

$$M_t = T \frac{(1 + D/b)}{1.7} = \frac{40428.42}{1.7} \left(1 + \frac{1.2}{0.6}\right) = 71344.27 \text{ Nm}$$

$$M_{e1} = 533655.14 + 71344.27 = 604999.41 \text{ Nm}$$

$$A_{st} = \frac{M_{e1}}{\sigma_{st} j d} = \frac{604999.41 \times 1000}{150 \times 0.874 \times 1160} = 3978.27 \text{ mm}^2$$

Using 25 mm dia bars, No. of bars =  $\frac{5478.27}{\frac{\pi}{4} \times 25^2} = \frac{4355.9}{8.10} = 8.87 \approx 9$  bars

Hence provide 9 bars of 25 mm diameter.

### Transverse reinforcement

$$S_e = V_e = \frac{521076.84}{570539.83} \text{ N}$$

$$\text{Equivalent shear stress, } \tau_{ve} = \frac{V_e}{bd} = \frac{521076.84}{600 \times \frac{1160}{4}} = \frac{0.748}{0.819} \text{ N/mm}^2$$

for M20 Concrete  $\tau_{cmax} = 1.8 \text{ N/mm}^2$

$$\frac{100 A_{st}}{bd} = \frac{100 \times 9 \times \frac{\pi}{4} \times 25^2}{600 \times 1160} = 0.63$$

$$\tau_c = 0.52 \text{ N/mm}^2$$

Since  $\tau_{ve} > \tau_c$  - shear reinforcement is necessary.

The area of  $c/s$ ,  $A_{sv}$  of the stirrups is given by

$$A_{sv} = \frac{T S_v}{b_1 d_1 \sigma_{sv}} + \frac{V S_v}{2.5 d_1 \sigma_{sv}}$$

where  $b_1 = (600 - 60 \times 2) = 480$  mm ← effective cover

$$d_1 = 1200 - (60 \times 2) = 1080$$
 mm

$$\frac{A_{sv}}{S_v} = \frac{40428.42}{480 \times 1080 \times 150} + \frac{521076.84}{2.5 \times 1080 \times 150}$$

$$= \frac{1.269}{1.89}$$

Minimum transverse reinforcement is governed by

$$\frac{A_{sv}}{S_v} \geq \left( \frac{\tau_{ve} - \tau_c}{\sigma_{sv}} \right) b = \left( \frac{0.748 - 0.63}{150} \right) \times 600 = 0.472$$

Using 12mm dia 4 legged stirrups,  $S_v = \frac{4 \times \frac{\pi}{4} \times 12^2}{1.89} = 325.5$  mm



(a) vertical load on columns:-

$$1. \text{ weight of water} = w_w + w_o = \overset{\text{step 6}}{3164326.55} + \overset{\text{step 1}}{4751259} = 7915585.55 = 7915585.55 \text{ N}$$

2. weight of tank:

$$(i) \text{ weight of top dome + cylindrical walls} = W = 64774 \times \pi \times 14 = \overset{\text{step 5}}{2847589.84} \text{ N}$$

$$(ii) \text{ weight of conical dome} = W_s = \overset{\text{step 6}}{1066131} \text{ N}$$

$$(iii) \text{ weight of bottom dome} = \overset{\text{step 7}}{540982} \text{ N}$$

$$(iv) \text{ weight of bottom ring beam} = \overset{\text{step 8}}{18000 \times \pi \times 10} = 565487 \text{ N}$$

$$\text{Total weight of tank} = 5020189.89 \text{ N}$$

$$\text{Total super imposed load} = 1 + 2 = \overset{12935775.44}{\cancel{1463816.84}} \text{ N}$$

$$\text{load per column} = \frac{\overset{12935775.44}{\cancel{1463816.84}}}{8} = \overset{1616971.92}{\cancel{1770477}} \text{ N}$$

Let the column be of 700 mm diameter

$$\text{Weight of column per metre height} = \frac{\pi}{4} \times 0.7^2 \times 1 \times 25000 = 9620 \text{ N}$$

Let the brace be of 300 mm x 600 mm size

$$\text{length of each brace} = L = R \frac{\sin \frac{2\pi}{n}}{\cos \frac{\pi}{n}} = 5 \times \frac{\sin \frac{\pi}{4}}{\cos \frac{\pi}{8}} = 3.83 \text{ m}$$

$$\left( \text{Alternatively } L = \frac{\pi \times 10}{8} = 3.93 \text{ m.} \right)$$

$$\text{clear length of each brace} = 3.83 - 0.7 = 3.13 \text{ m}$$

$$\text{weight of each brace} = 0.3 \times 0.6 \times 3.13 \times 25000 = 14085 \text{ N}$$

Hence total weight of column

Just above brace is tabulated below.

Brace GH:

$$W = 1616971.93 + 4 \times 9620 = 1655451.93 = 1808957 \text{ N}$$

Brace EF:

$$W = 1616971.93 + 8 \times 9620 + 14085 = 1708016.93 = 1861522 \text{ N}$$

Brace CD:

$$W = 1616971.93 + 12 \times 9620 + 2 \times 14085 + 33060 \text{ N} = 1760581.93 = 1914087 \text{ N}$$

Bottom of column

$$W = 1616971.93 + 17 \times 9620 + 3 \times 14085 = 1822766.93 = 1976272 \text{ N}$$

(b) wind loads:-

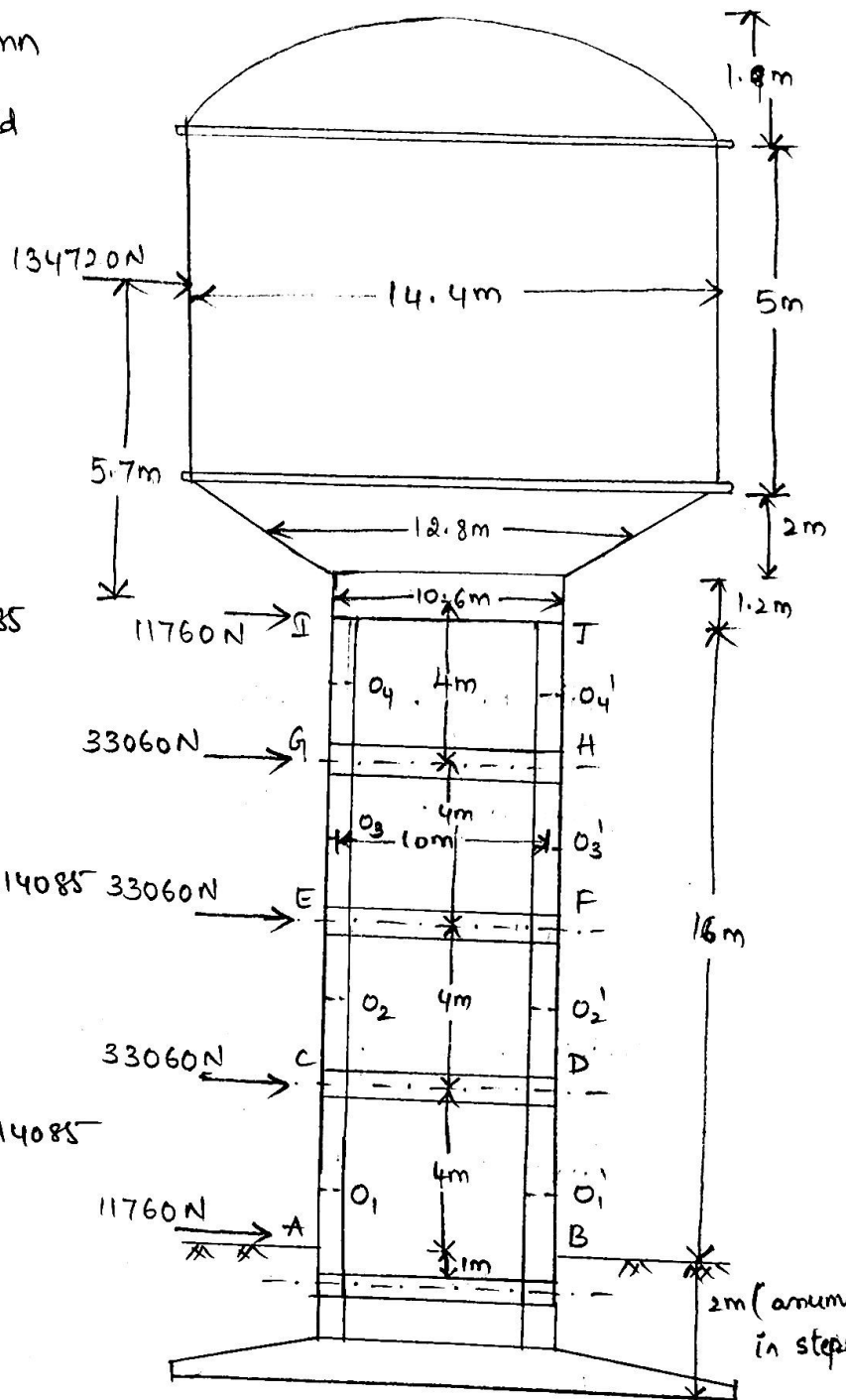
Intensity of wind pressure =  $1500 \text{ N/m}^2$

Let us take a shape factor of 0.7 for sections circular in plan.

wind load on tank, domes and ring beams

$$= \left[ (5 \times 14.4) + \left( 14.2 \times \frac{2}{3} \times 1.9 \right) + (2 \times 12.8) + (10.6 \times 1.2) \right] \times 1500 \times 0.7 = 134720 \text{ N}$$

This may be assumed to act at about 5.7m above the bottom of ring beam.



wind load on each panel of 4m height of columns

$$= (4 \times 0.7 \times 8) \times 1500 \times 0.7 + (0.6 \times 10.6) \times 1500 = 23520 + 9540$$

$$= 33060 \text{ N}$$

wind load at the top end of top panel =  $\frac{1}{2} \times 23520$

$$= 11760 \text{ N}$$

The point of contraflexure  $O_1, O_2, O_3$  and  $O_4$  are assumed to be at the mid height of each panel.

The shear forces  $Q_w$  and moments  $M_w$  due to wind at these panels are given below.

Level	$Q_w$ (N)	$M_w$ (Nm)
$O_4$	$134720 + 11760 = 146480 \text{ N}$	$134720 \times 7.7 + 11760 \times 2 = 1060860$
$O_3$	$134720 + 11760 + 33060 = 179540 \text{ N}$	$134720 \times 11.7 + 11760 \times 6 + 33060 \times 2 = 1712900$
$O_2$	$134720 + 11760 + 2 \times 33060 = 212600$	$134720 \times 15.7 + 11760 \times 10 + 33060(6+2) = 2497180$
$O_1$	$134720 + 11760 + 3 \times 33060 = 245660$	$134720 \times 20.2 + 11760 \times 14.5 + 33060(10.5 + 6.5 + 2.5) = 3418930$

The axial thrust  $V_{max} = \frac{4 M_w}{n D_0} = \frac{4 M_w}{8 \times 10} = 0.05 M_w$  in

the farthest lee ward column, the shear force  $S_{max} = \frac{2 Q_w}{n} = 0.25 Q_w$

in the column on the bending axis at each of the above levels and the bending moment  $M = S_{max} \times h/2$  in the columns are tabulated below

Level	$V_{max}$	$S_{max}$ (N)	M (Nm)	
$O_4$	5304 <sup>3</sup> <del>0</del>	36620	73240	(h=4)
$O_3$	856 <sup>45</sup> <del>50</del>	448 <sup>85</sup> <del>90</del>	897 <sup>7</sup> <del>80</del>	(h=4)
$O_2$	1248 <sup>59</sup> <del>60</del>	53150	106300	(h=4)
$O_1$	1709 <sup>46.5</sup> <del>50</del>	614 <sup>15</sup> <del>20</del>	1535 <sup>37.5</sup> <del>50</del>	(h=5)

The farthest leeward column will be subjected to the superimposed axial load +  $V_{max}$  given above.

The column on the bending axis, on the other hand will be subjected to super imposed axial load plus a bending moment 'M' given above.

These critical combinations for various panels of these columns are tabulated below.

Panel	Farthest leeward column		Column on bending axis	
	Axial load (N)	$V_{max}$ (N)	Axial load (N)	M (Nm)
$O_4 O_4^1$	1655451.93 <del>1808957</del>	5304 <sup>3</sup> <del>0</del>	1655451.93 <del>1808957</del>	73240
$O_3 O_3^1$	1708016.93 <del>1861572</del>	856 <sup>45</sup> <del>50</del>	1708016.93 <del>1861572</del>	897 <sup>7</sup> <del>80</del>
$O_2 O_2^1$	1760581.93 <del>1914087</del>	1248 <sup>59</sup> <del>60</del>	1760581.93 <del>1914087</del>	106300
$O_1 O_1^1$	1822766.93 <del>1976272</del>	1709 <sup>46.5</sup> <del>50</del>	1822766.93 <del>1976272</del>	1535 <sup>37.5</sup> <del>50</del>

According to IS Code, when effect of wind load is to be considered, the permissible stresses in the materials may be increased by  $33\frac{1}{3}\%$ .



Use M20 - Concrete,  $\sigma_{cbc} = 7 \text{ N/mm}^2$ ,  $\sigma_{cc} = 5 \text{ N/mm}^2$ . For steel

$\sigma_{st} = 230 \text{ N/mm}^2$ . All the three can be increased by  $33\frac{1}{3}\%$ .

when taking into account wind action.

Diameter of Column = 700 mm

Use 12 mm bars of 30 mm dia at an effective cover of 40 mm.

$$A_{sc} = \pi/4 \times 30^2 \times 12 = 8482 \text{ mm}^2$$

$$\begin{aligned} \text{Equivalent area of Column} &= \pi/4 (700)^2 + (13.33-1) 8482 \\ &= 489478.06 \text{ mm}^2 \end{aligned}$$

$$\text{Equivalent moment of Inertia} = \frac{\pi d^4}{64} + (m-1) \frac{A_{sc} d'^2}{8}$$

where  $d = 700 \text{ mm}$ ,  $d' = 700 - 2 \times 40 = 620 \text{ mm}$

$$I_c = \frac{\pi}{64} \times 700^4 + (13.33-1) \times \frac{8482 \times 620^2}{8}$$

$$= 1.6811 \times 10^{10} \text{ mm}^4$$

$$\text{Direct stress in column, } \sigma_{cc}' = \frac{1822766.93}{489478.06} = \frac{3.72}{1.33 \times 5} \text{ N/mm}^2$$

$$\begin{aligned} \text{Bending stress in column} = \sigma_{cbc}' &= \frac{153550 \times 1000}{1.6811 \times 10^{10}} \times 350 \\ &= 3.19 \text{ N/mm}^2 \end{aligned}$$

For the safety of the column, we have

$$\frac{\sigma_{cc}'}{\sigma_c} + \frac{\sigma_{cbc}'}{\sigma_{cbc}} \geq 1 \Rightarrow \frac{3.72}{1.33 \times 5} + \frac{3.19}{1.33 \times 7} = \frac{0.9020}{0.9948} < 1$$

Hence safe.

Use 10 mm dia wise rings of 250 mm c/c to tie up main reinforcement.

Since the columns are of 700 mm dia, increase the width of curved beam

from 700 mm.

155

Step 10:- Design of braces:-

The braces are designed for a bending moment equal to sum of the moments in the column just above and below brace level.

$$\begin{aligned} \text{B.M for brace} &= \text{load on each column} \times h/2 \\ &= \frac{33060}{\cancel{170477}} \times \frac{4}{2} = \frac{66120}{\cancel{3540954.2}} \text{ Nm} \end{aligned}$$

Let the brace section be  $300 \times \overset{600}{\text{700}}$  mm

The section will be designed as a doubly reinforced beam section,

Let the effective cover = 40mm.

Distance between centres of compressive and tensile steel

$$= \frac{600}{\text{700}} - 80 = \frac{520}{\text{620}} \text{ mm}$$

$$A_{sc} = A_{st} = \frac{\frac{66120}{\cancel{3540954.2}} \times 10000}{\frac{\text{230} \times \text{620}}{150 \times \frac{520}{2}}} = 463.67 \text{ mm}^2$$

Provide 5 bars of 12mm dia at top and 5 similar bars at the

bottom.

$$\text{S.F for the brace} = \frac{\text{B.M for brace}}{\text{half span of brace}}$$

$$= \frac{66120}{(10/2)} = 13224 \text{ N}$$

$$\text{Nominal shear stress, } \tau_v = \frac{V_u}{bd} = \frac{13224}{300 \times \frac{\text{660}}{560}} = 0.06 \text{ N/mm}^2$$

$$P_t = \frac{100 A_{st}}{bd} = \frac{100 \times 5 \times \frac{\pi}{4} \times 12^2}{300 \times \frac{\text{660}}{560}} = 0.285$$

$$\text{For } P_t = 0.285\%, \tau_c = 0.37 \text{ N/mm}^2$$

$\tau_v < \tau_c$  - Hence provide nominal shear reinforcement.

Provide 2 legged 8mm dia stirrups @ 220mm c/c.

Step 11:- Design of raft foundation :-

Vertical load from filled tank and Columns = ~~1976272~~ x 8 = 14582135.44 = ~~15810176~~ N

1822766.93

weight of water = ~~9143627~~ N

7915585.55 ← step-9

Vertical load of empty tank and columns = ~~15810176~~ - ~~9143627~~ = 6666549 N

14582135.44 - 7915585.55

← V<sub>max</sub> step-10 = 6666549 N

V<sub>max</sub> due to wind load = <sup>46.5</sup>170950 x 8 = <sup>572</sup>1367600 N which is less than

33 1/3 % of the super imposed load.

Assume self weight = 10% = <sup>1458213.54</sup>~~1581017.6~~ N.

∴ Total load = <sup>14582135.44 + 1458213.54</sup>~~15810176~~ + <sup>16040348.98</sup>~~15810176~~ = <sup>17391193.6</sup>~~17391193.6~~ N.

∴ Area of foundation required =  $\frac{16040348.98}{\frac{17391193.6}{S.B.C}}$   
=  $\frac{16040348.98}{\frac{17391163.6}{150 \times 10^3}}$  = <sup>106.93</sup>~~115.94~~ m<sup>2</sup>

Circumference of Column circle = πD = π x 10 = 31.42 m

∴ width of foundation =  $\frac{106.93}{31.42}$  = <sup>3.403</sup>~~3.69~~ m

Hence inner diameter = 10 - <sup>3.403</sup>~~3.69~~ = <sup>6.596</sup>~~6.31~~ m

outer diameter = 10 + <sup>3.403</sup>~~3.69~~ = <sup>13.403</sup>~~13.69~~ m.

Area of annular raft = π/4 (13.403<sup>2</sup> - 6.596<sup>2</sup>) = <sup>106.98</sup>~~115.94~~ m<sup>2</sup>

Moment of inertia of slab about a diametrical axis

=  $\frac{\pi}{64} (13.403^4 - 6.596^4)$  = <sup>1491.5</sup>~~1646.36~~ m<sup>4</sup>

Total load, tank empty

$$= 6666549 + \overset{1458213.54}{\cancel{1581017.6}} + \overset{8124762.54}{\cancel{8247566.6}} = 8247566.6 \text{ N}$$

∴ Stabilising moment

$$= \overset{8124762.54}{\cancel{8247566.6}} \times \frac{\overset{403}{13.69}}{2} = \overset{54448096.16 \text{ Nm}}{\cancel{56454593.88 \text{ Nm}}}$$

Let the base of the raft be 2m below

ground level.

∴  $M_w$  at base

$$= 134720 \times 23.7 + 11760 \times 18 + 33060 (14 + 10 + 6) = 4396344 \text{ Nm}$$

Hence the soil pressures at the edges along a diameter are

$$(a) \text{ Tank full} = \frac{\overset{16040348.98}{\cancel{1739193.6}}}{\overset{106.98}{\cancel{115.94}}} \pm \frac{4396344}{1646.36} \times \frac{13.69}{2}$$

(Area of annular raft)

$$= \overset{149937.82}{\cancel{150001.66}} \pm 18278.48$$

$$= \overset{16.3}{16828.15} \text{ N/m}^2 \quad (\text{or}) \quad \overset{659.34}{13173.48} \text{ N/m}^2$$

$$(b) \text{ Tank Empty} = \frac{\overset{8124762.54}{\cancel{8247566.6}}}{\overset{106.98}{\cancel{115.94}}} \pm \frac{4396344}{1646.36} \times \frac{13.69}{2}$$

$$= \overset{75946.55}{\cancel{1136.56}} \pm 18278.48$$

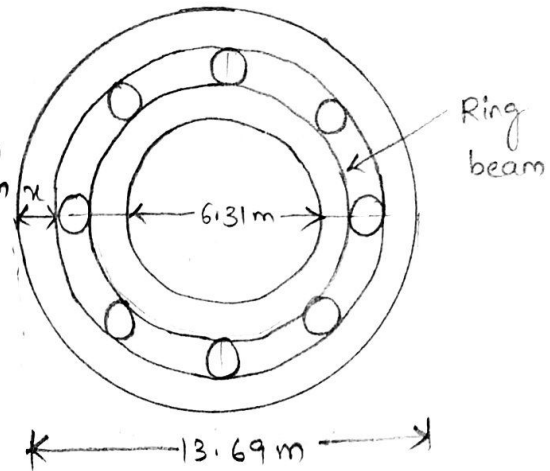
$$= \overset{94225.03}{\cancel{89114.98}} \text{ N/m}^2 \quad (\text{or}) \quad \overset{57668.07}{\cancel{52858.08}} \text{ N/m}^2$$

Under the wind load, the allowable bearing capacity is increased to

$$150 \times 1.33 = 199.95 \approx 200 \text{ kN/m}^2 \text{ which is greater than the maximum}$$

Soil pressure  $168.2 \text{ kN/m}^2$

Hence the foundation raft will be designed only for superimposed load.



The layout of foundation is shown in figure.

A ring beam of 700mm width may be provided. The foundation will be designed for an average pressure  $p$

$$p = \frac{1458213.54}{115.94} = 125810176$$
$$p = \frac{15810176}{106.93} = 136365.15 \text{ N/m}^2$$

$$\text{The overhang 'x' of raft slab} = \frac{1}{2} \left( \frac{1}{2} (13.69 - 6.31) - 0.7 \right)$$
$$= 1.495 \text{ m}$$

$$\text{Bending moment} = 136365.15 \times \frac{1.495^2}{2} = 152389.76 \text{ Nm}$$

$$\text{Shear force} = 136365.15 \times 1.495 = 203865.89 \text{ N.}$$

$$\text{Effective depth, } d = \sqrt{\frac{152389.76 \times 1000}{1000 \times 0.897}} = 412.17 \text{ mm}$$

Provide 460 mm thick slab with effective depth of 420 mm. Decrease the total depth of 250 mm at the edges.

$$A_{st} = \frac{152389.76 \times 1000}{230 \times 0.906 \times 420} = 1741.2 \text{ mm}^2$$

$\left( \sigma_{st} \times J \times d \right)$

$$\text{Using 16mm dia bars, spacing} = \frac{\frac{\pi}{4} \times 16^2}{1741.2} \times 1000 = 115.48 \text{ mm}$$

Hence provide 16mm  $\phi$  radial bars @ 110mm c/c at the bottom of slab

$$\text{Area of distribution steel} = \frac{0.15}{100} \times 460 \times 1000 = 690 \text{ mm}^2$$

$$\text{Using 10mm dia bars, spacing} = \frac{\frac{\pi}{4} \times 10^2}{690} \times 1000 = 113.84 \text{ mm}$$

Hence provide 10mm dia bars @ 110mm c/c at support. Increase this spacing to 200mm at the edge.

## Design of circular beam of raft :-

The design of circular beam of raft will be practically similar to the circular beam  $B_2$  provided at the top of the columns.

$$\text{Design load} = \frac{15810176}{\pi \times 10} = 503253.53 \text{ N/m}$$

The circular beam  $B_2$  was designed for  $w = 450890 \text{ N/m}$

Hence the bending moment will be increased in the ratio of

$$\frac{503253.53}{450890} = 1.116$$

$$\text{Maximum -ve B.M at support} = M_o = 1.116 \times 584311.49 = 652091.62 \text{ Nm}$$

$$\text{Maximum +ve B.M at mid span} = M_c = 1.116 \times 265596.13 = 296405.28 \text{ Nm}$$

$$\text{Max. Torsional moment} = M_m = 1.116 \times 44266.02 = 49400.87 \text{ Nm.}$$

$$\text{At } \phi = \phi_m = 9\frac{1}{2}^\circ, S = F = 1.116 \times 511518.47 = 570854.61 \text{ N}$$

$$\text{Effective depth, } d = \sqrt{\frac{652091.62 \times 1000}{0.897 \times 700}} \quad \left( \begin{array}{l} \text{Assume } b = \text{dia of column} \\ = 700 \text{ mm} \end{array} \right)$$
$$= 1019.08 \text{ mm}$$

Keep total depth of ~~1200~~ mm. using effective cover 60mm,  
Effective depth = 1140mm.

## Main and longitudinal reinforcement :-

$$\text{Equivalent B.M, } M_{e1} = M + M_T$$

$$M_T = \frac{T \cdot (1 + D/b)}{1.7} = \frac{49400.87 \left(1 + \frac{1.2}{0.7}\right)}{1.7} = 78875.33 \text{ Nm}$$

$$M_{e1} = 652091.62 + 78875.33 = 730966.95 \text{ Nm.}$$

$$A_{st} = \frac{M_{ej}}{\sigma_{st} J_d} = \frac{730966.95 \times 1000}{150 \times 0.874 \times 1160} = 4806.58 \text{ mm}^2$$

using 25 mm dia bars, No. of bars =  $\frac{4806.58}{\frac{\pi}{4} \times 25^2} = 9.79 \approx 10$  bars

Hence provide 10 bars of 25 mm diameter.

Transverse reinforcement :-

A  $S = 570854.61 \text{ N}$

$$S_e = V_e = S + 1.6 \frac{T}{b} = 570854.61 + 1.6 \times \frac{49400.87}{700} = 570967.52 \text{ N}$$

Equivalent shear stress =  $\frac{V_e}{bd} = \frac{570967.52}{700 \times 1160} = 0.703 \text{ N/mm}^2$

prob  $p_t = \frac{100 A_{st}}{bd} = \frac{100 \times 10 \times \frac{\pi}{4} \times 25^2}{700 \times 1160} = 0.604\%$

$\tau_c = 0.512 \text{ N/mm}^2$  for  $p_t = 0.604\%$

Since  $\tau_{ve} > \tau_c$ , shear reinforcement is necessary.

The area of cle,  $A_{sv}$  of the stirrups is given by

$$A_{sv} = \frac{T S_v}{b d_1 \sigma_{sv}} + \frac{V S_v}{2.5 d_1 \sigma_{sv}}$$

$$\frac{A_{sv}}{S_v} = \frac{49400.87}{595 \times 1095 \times 150} + \frac{570967.52}{2.5 \times 1095 \times 150} = 1.39$$

$b_1 = (700 - 40 \times 2) - 25 = 595 \text{ mm}$

$d_1 = 1200 - (40 \times 2) - 25 = 1095 \text{ mm}$

Minimum transverse reinforcement is ~~given~~ governed by

$$\frac{A_{sv}}{S_v} \geq \left( \frac{\tau_{ve} - \tau_c}{\sigma_{sv}} \right) b = \left( \frac{0.703 - 0.512}{150} \right) \times 700 = 0.891$$

Using 12 mm dia 4 legged stirrups,  $S_v = \frac{4 \times \pi/4 \times 12^2}{1.39} = 325.5 \text{ mm}$

However spacing should be the least of

$$x_1 = 595 + 25 + 12 = 632 \text{ mm}$$

$$y_1 = 1095 + 25 + 12 = 1032 \text{ mm}$$

$$\frac{x_1 + y_1}{4} = \frac{632 + 1032}{4} = 416 \text{ mm}$$

Hence provide 12 mm  $\phi$  4 legged stirrups @ 300 mm c/c.

Side face reinforcement :-

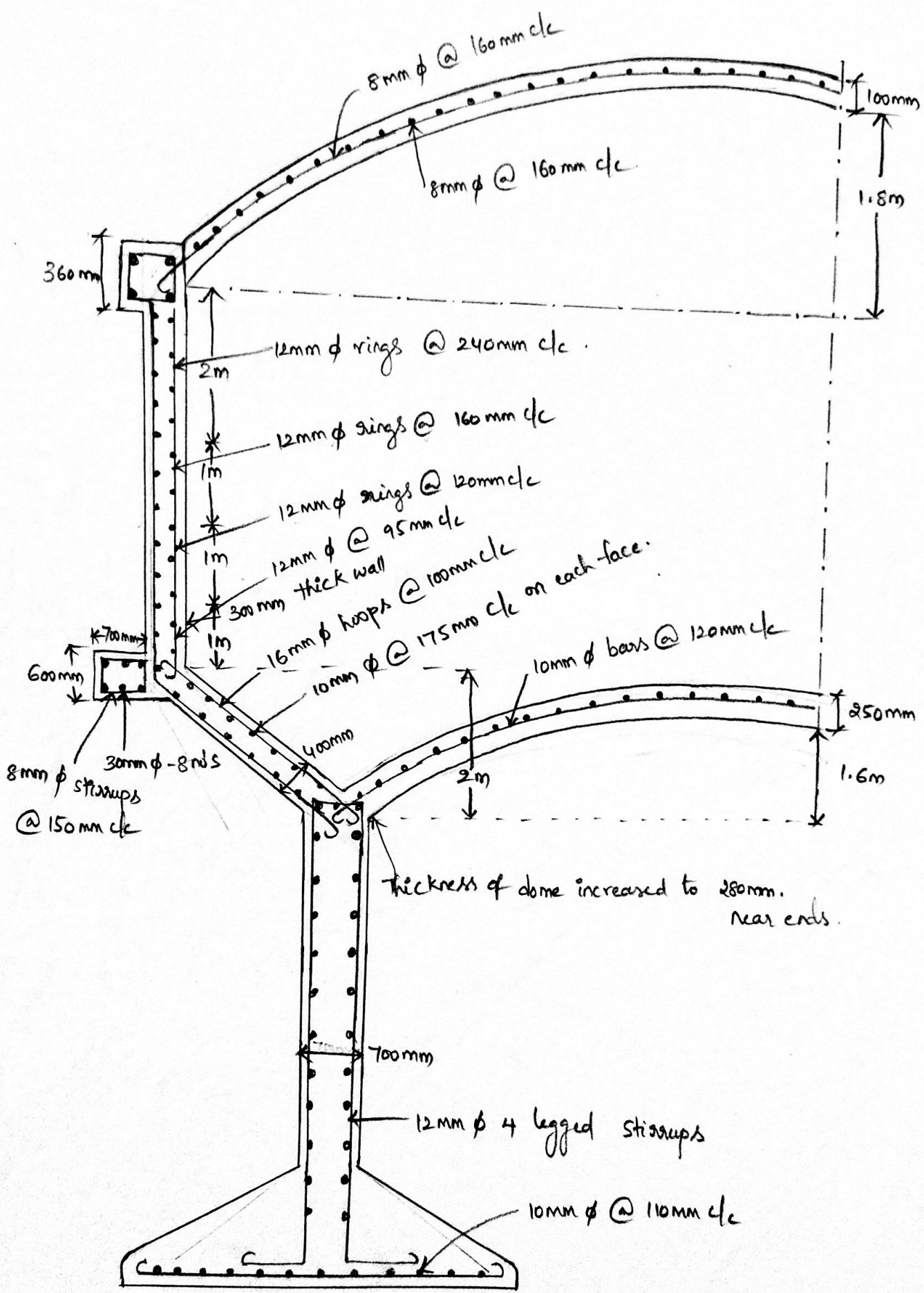
Since the depth is more than 450 mm, provide side face reinforcement @ 0.1 %.

$$A_t = \frac{0.1}{100} \times 700 \times 1200 = 840 \text{ mm}^2$$

provide 3-16 mm  $\phi$  on each face.

$$A_{t \text{ provided}} = \underline{\underline{3 \times \pi/4 \times 16^2 = 1206 \text{ mm}^2}}$$





Reinforcement Details